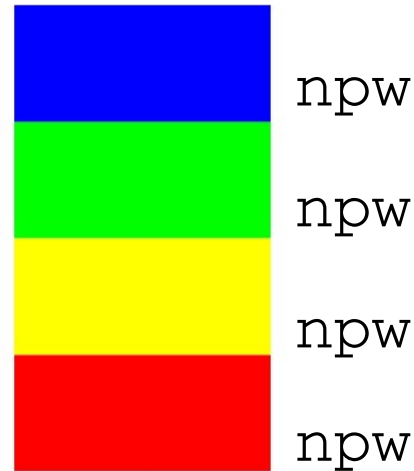
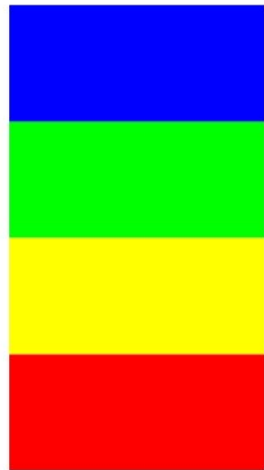


MPI - Message Passing Interface

a simple example

$$\langle \beta_i | \psi_j \rangle = \sum_{k+G} \beta_i^*(k+G) \psi_j(k+G)$$

$$\frac{\text{beta}(\text{npw}, \text{nproj})}{\text{nproj}} \quad \frac{\text{psi}(\text{npw}, \text{nbnd})}{\text{nbnd}}$$

$$\frac{\text{betapsi}(\text{nproj}, \text{nbnd})}{\text{nbnd}}$$


nproj

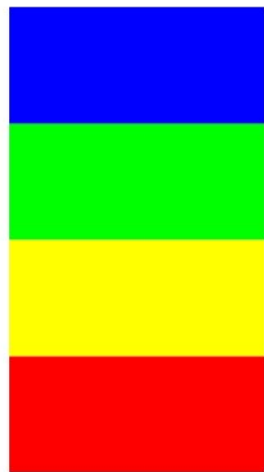
how one gets betapsi?

MPI – Message Passing Interface

a simple example

$$\langle \beta_i | \psi_j \rangle = \sum_{k+G} \beta_i^*(k+G) \psi_j(k+G)$$

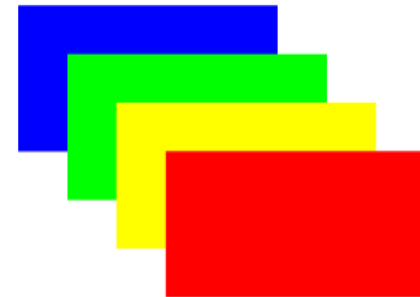
beta (npw, nproj) psi (npw, nbnd)
 nproj nbnd



npw
npw
npw
npw



betapsi (nproj, nbnd)
 nbnd
 nproj



```
CALL ZGEMM( 'C', 'N', nproj, nbnd, npw, (1.0_DP, 0.0_DP), &
             beta, npwx, psi, npwx, (0.0_DP, 0.0_DP), &
             betapsi, nprojx )
```

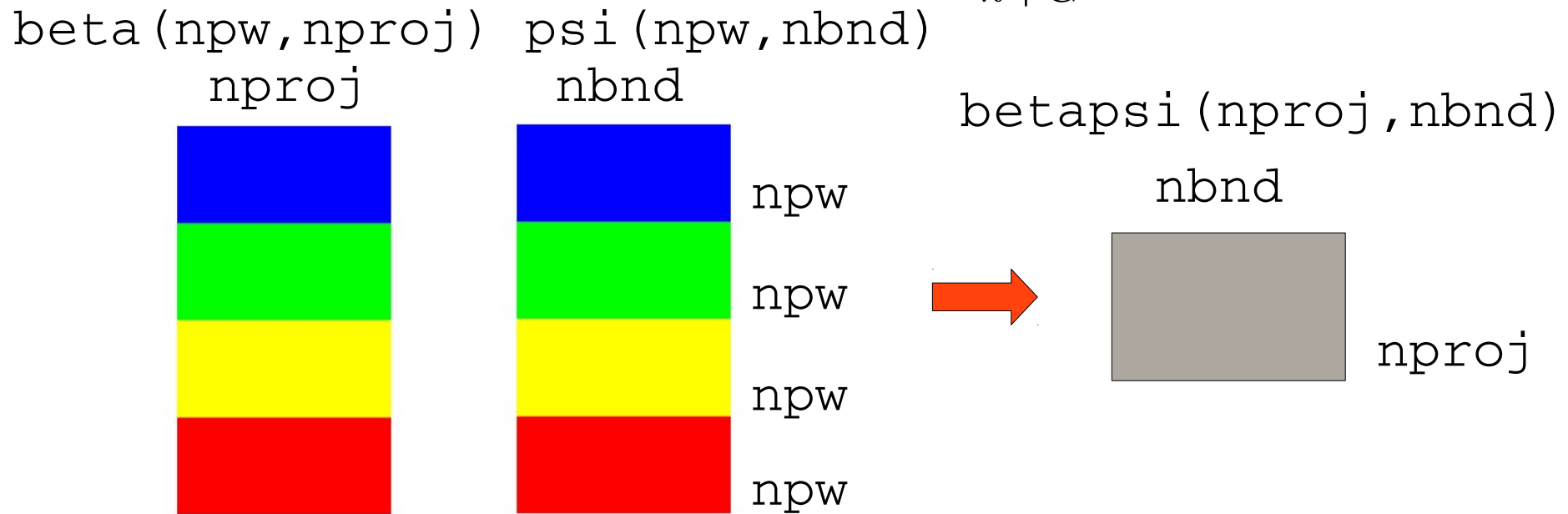


each processor has a partially summed betapsi

MPI – Message Passing Interface

a simple example

$$\langle \beta_i | \psi_j \rangle = \sum_{k+G} \beta_i^*(k+G) \psi_j(k+G)$$

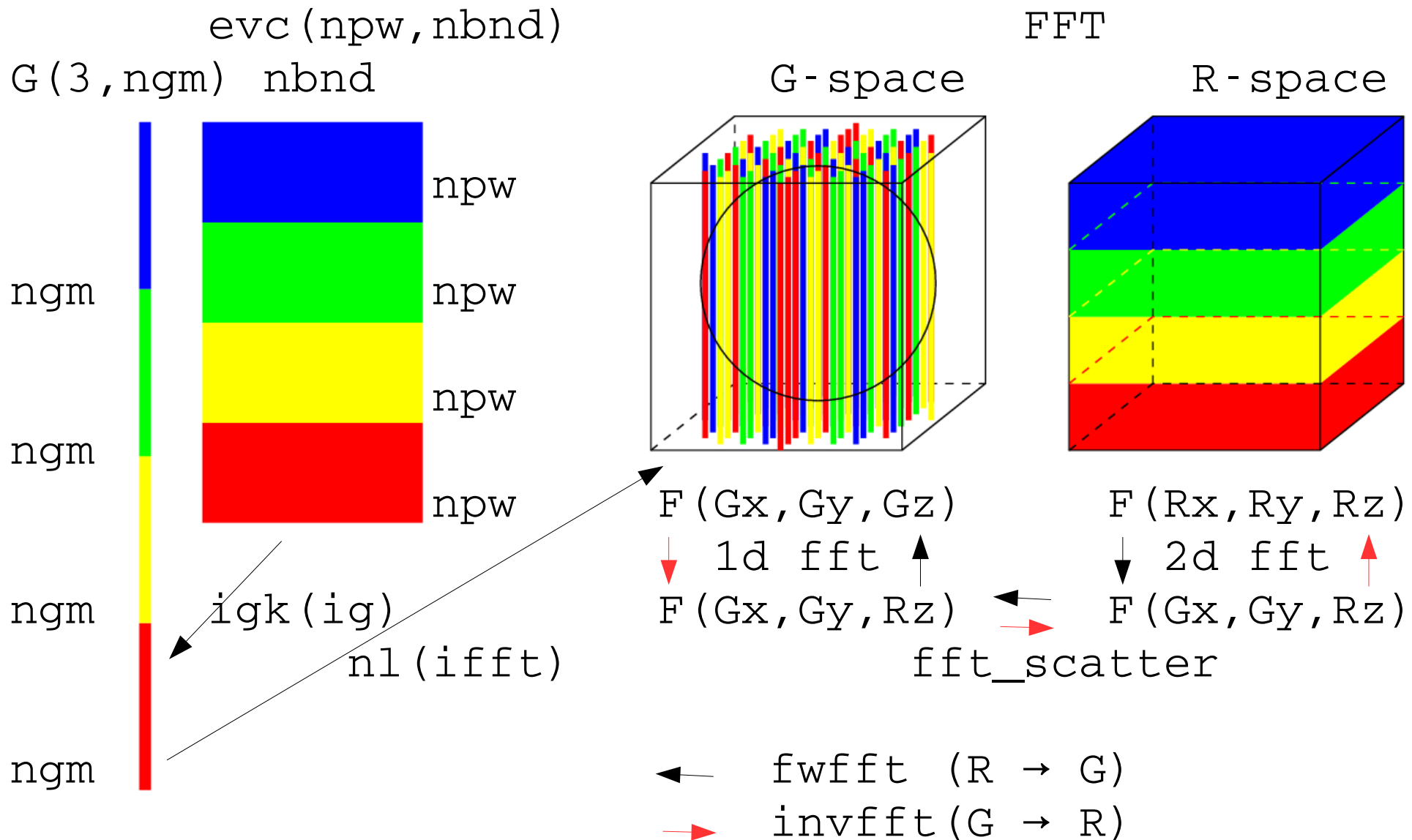


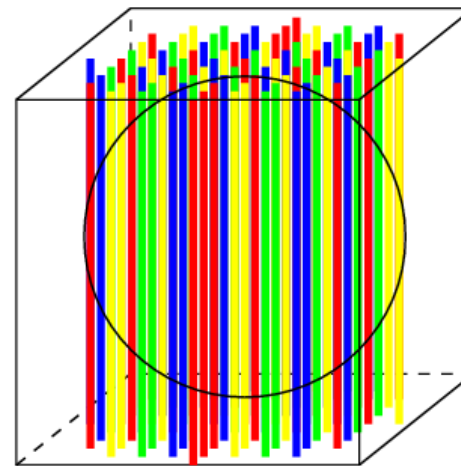
```
CALL ZGEMM( 'C', 'N', nproj, nbnd, npw, (1.0_DP, 0.0_DP), &  
            beta, npwx, psi, npwx, (0.0_DP, 0.0_DP), &  
            betapsi, nprojx )  
CALL mp_sum( betapsi, intra_bgrp_comm )
```

at the end each processor has the complete betapsi !



R & G parallelization

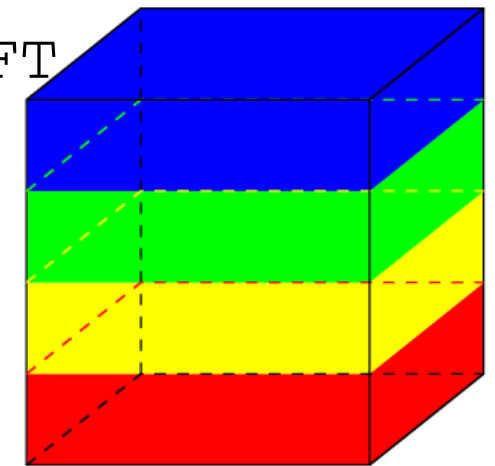




$F(Gx, Gy, Gz)$

1d fft
 $F(Gx, Gy, Rz)$

FFT

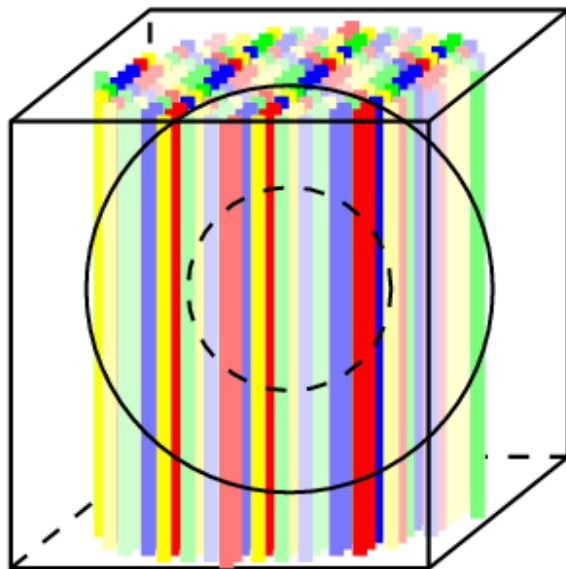


$F(Rx, Ry, Rz)$

2d fft
 $F(Gx, Gy, Rz)$

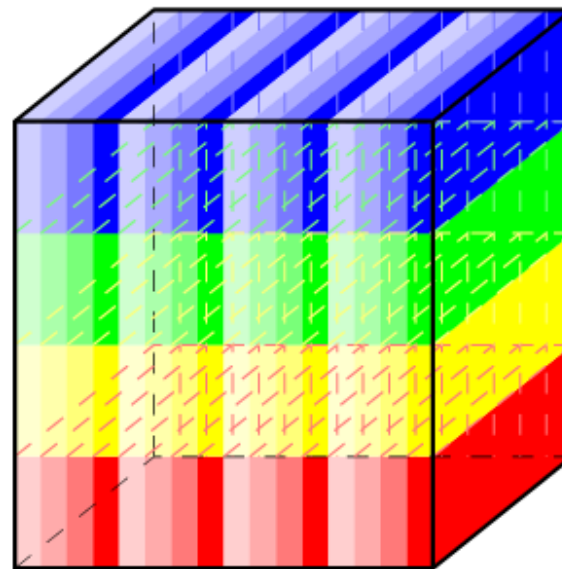
fft_scatter

fft_scatter



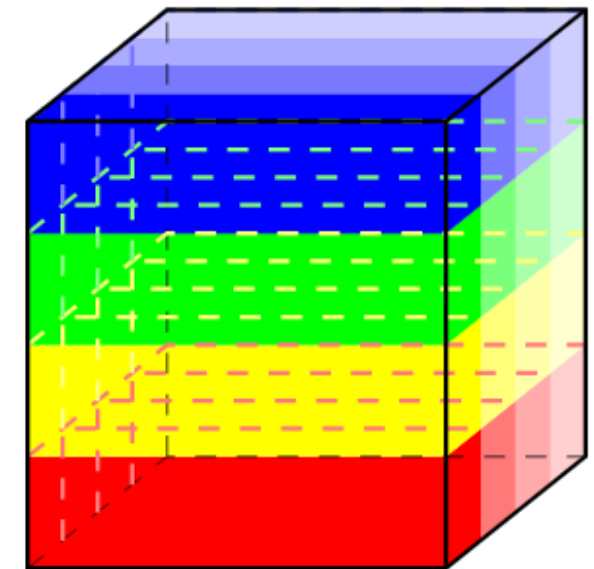
$F(Gx, Gy, Gz)$

$F(Gx, Gy, Rz)$



$F(Gx, Gy, Rz)$

$F(Gx, Ry, Rz)$



$F(Gx, Ry, Rz)$

$F(Rx, Ry, Rz)$

